

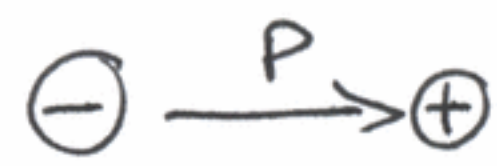
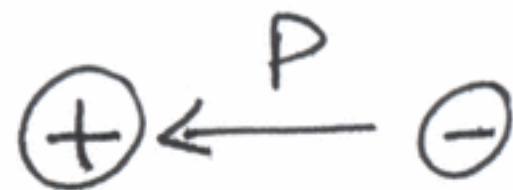
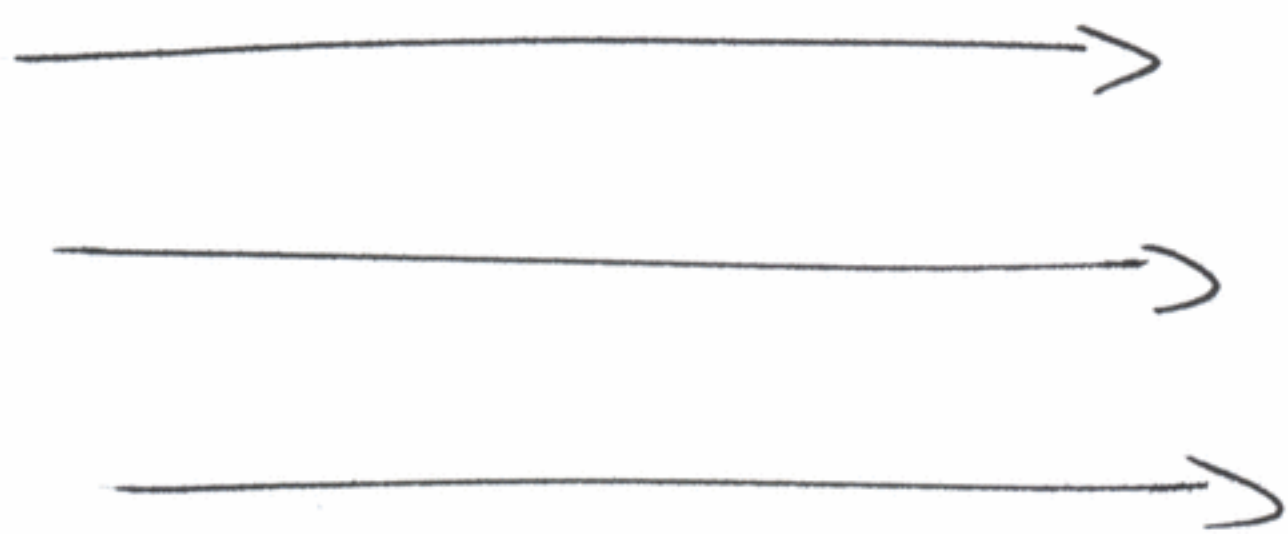
1

a)

$$\vec{\tau} = \vec{p} \times \vec{E}$$

tvær möguleikar

\vec{E}



samsíða eða andsamsíða
 $\rightarrow \vec{\tau} = 0$

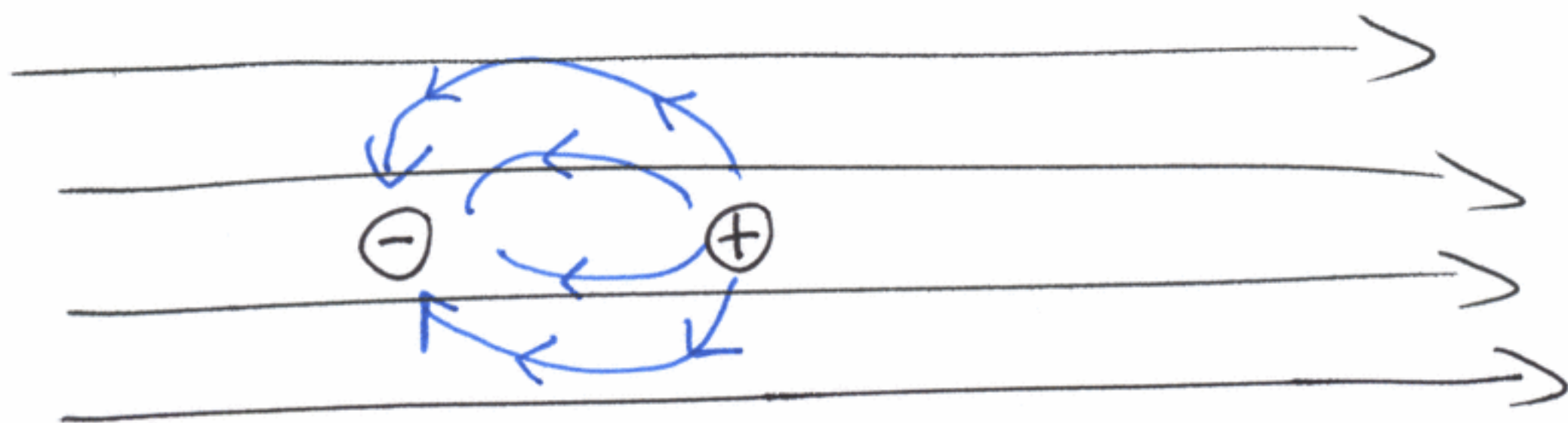
b) Stærðarfa raf tveistursins í einleitu
ytra sviði

$$U = -\vec{p} \cdot \vec{E}$$

lagst þegar \vec{p} er samsíða \vec{E}

hast þ. \vec{p} er andsamsíða \vec{E}

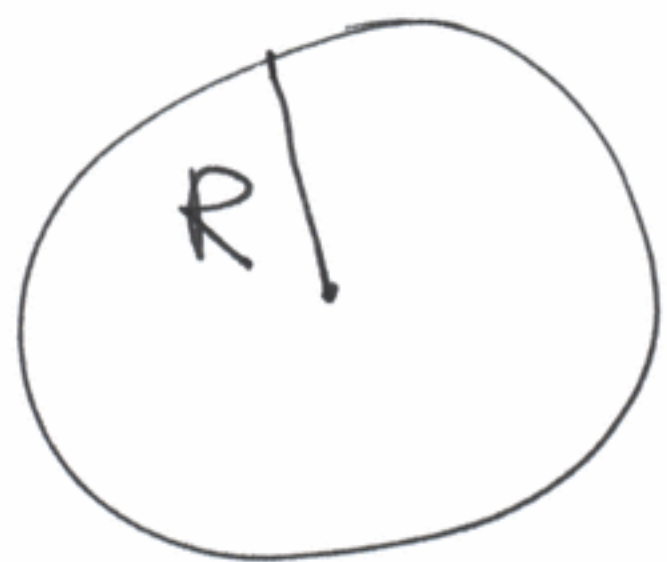
\rightarrow samsíða er stöðugt jafnvegi



Rafsvið ~~er~~ tveistursins minnstur þá
heldur svæðið

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Þinnur kútur stöð með jafndreifða
hleðslu $-Q$, geisli R .



Reitna kraftum á líta
jafna hleðslu q

i) $r < R$

Ef ~~við skoðum~~ \vec{E} er þetta gældir

$$\vec{F} = q\vec{E}$$

Reitnum \vec{E}

Gauß-lögmál

$$\oint \vec{E} \cdot d\vec{A} = \frac{Q'}{\epsilon_0}$$

Þar sem Q' var hér hleðslan innan
samhverfa kútu yfirborðs með $r < R$

Þar er $Q' = 0 \rightarrow \vec{E} = 0$ vegna
yfirborðs hleðslunar innan stöðarinnar

\rightarrow innan stöðar er engin kraftur

á q

ii) $r > R$

$$\oint \vec{E} \cdot d\vec{A} = -\frac{Q}{\epsilon_0}$$

sammsetta kúluyfi ~~í~~ ~~með~~ $r > R$

$$E \cdot 4\pi r^2 = -\frac{Q}{\epsilon_0}$$

$$\rightarrow E = -\frac{Q}{4\pi\epsilon_0 r^2}$$

$$\text{og } \vec{E} = -\hat{r} \frac{Q}{4\pi\epsilon_0 r^2}$$

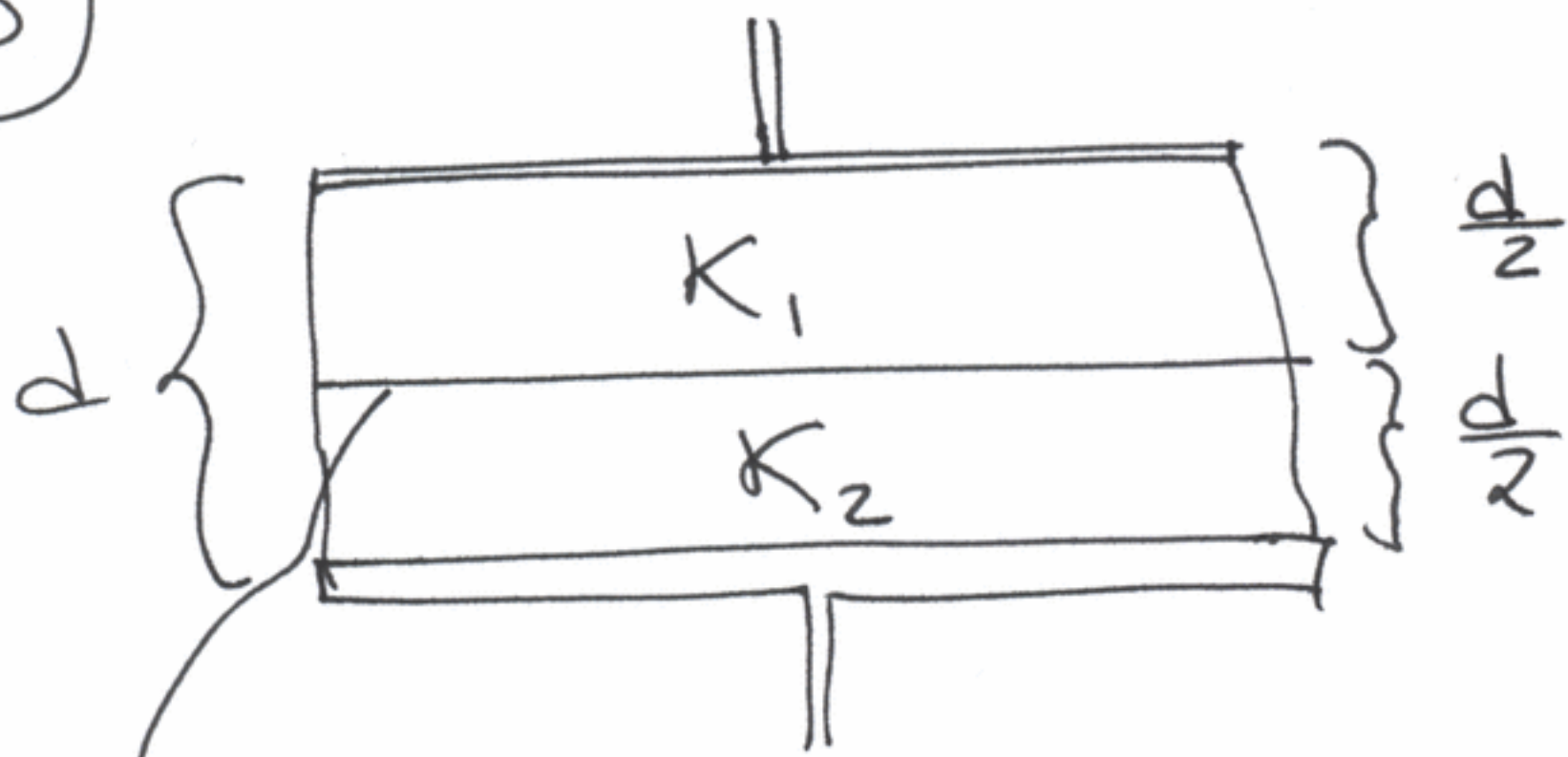
Krafturinn á q utan steljar er

því

$$\vec{F} = q\vec{E} = -\hat{r} \frac{qQ}{4\pi\epsilon_0 r^2}$$

æðhættkraftur því $q > 0$

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Her má hugsa sér hlefsu (örpumma)
 $+Q$ og $-Q$ á sama stað (engin
neutrar hlefsla) þá sést að þetta
er eins og tveir ráðfengdir þetta
heldur réttur ✓

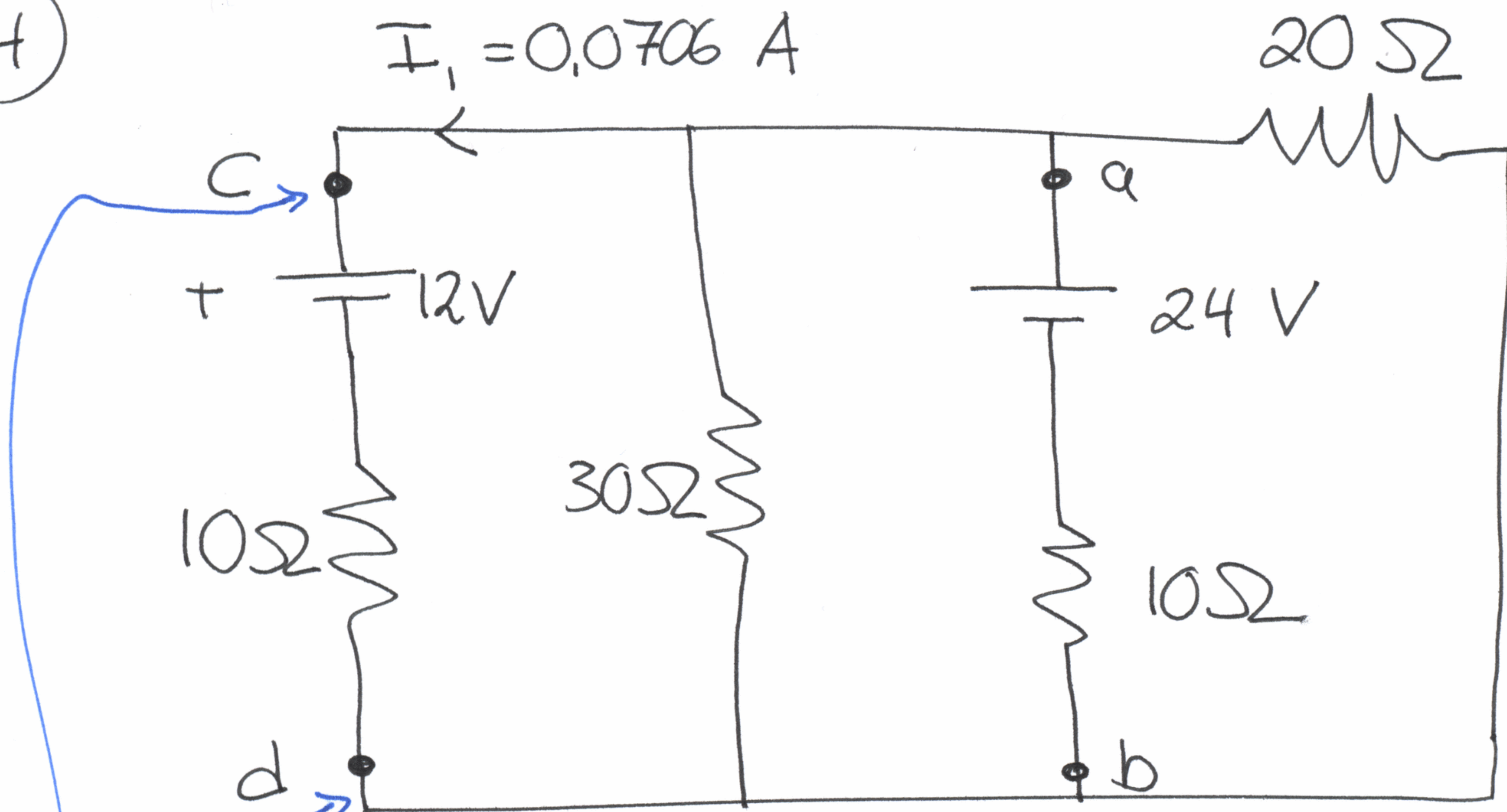
$$\frac{1}{C_{eq}} = \frac{1}{C_1} + \frac{1}{C_2}$$

$$C_1 = \frac{\epsilon_0 K_1 A}{\frac{d}{2}}$$

$$C_2 = \frac{\epsilon_0 K_2 A}{\frac{d}{2}}$$

$$C_{eq} = \frac{2\epsilon_0 A}{d} \left(\frac{K_1 K_2}{K_1 + K_2} \right)$$

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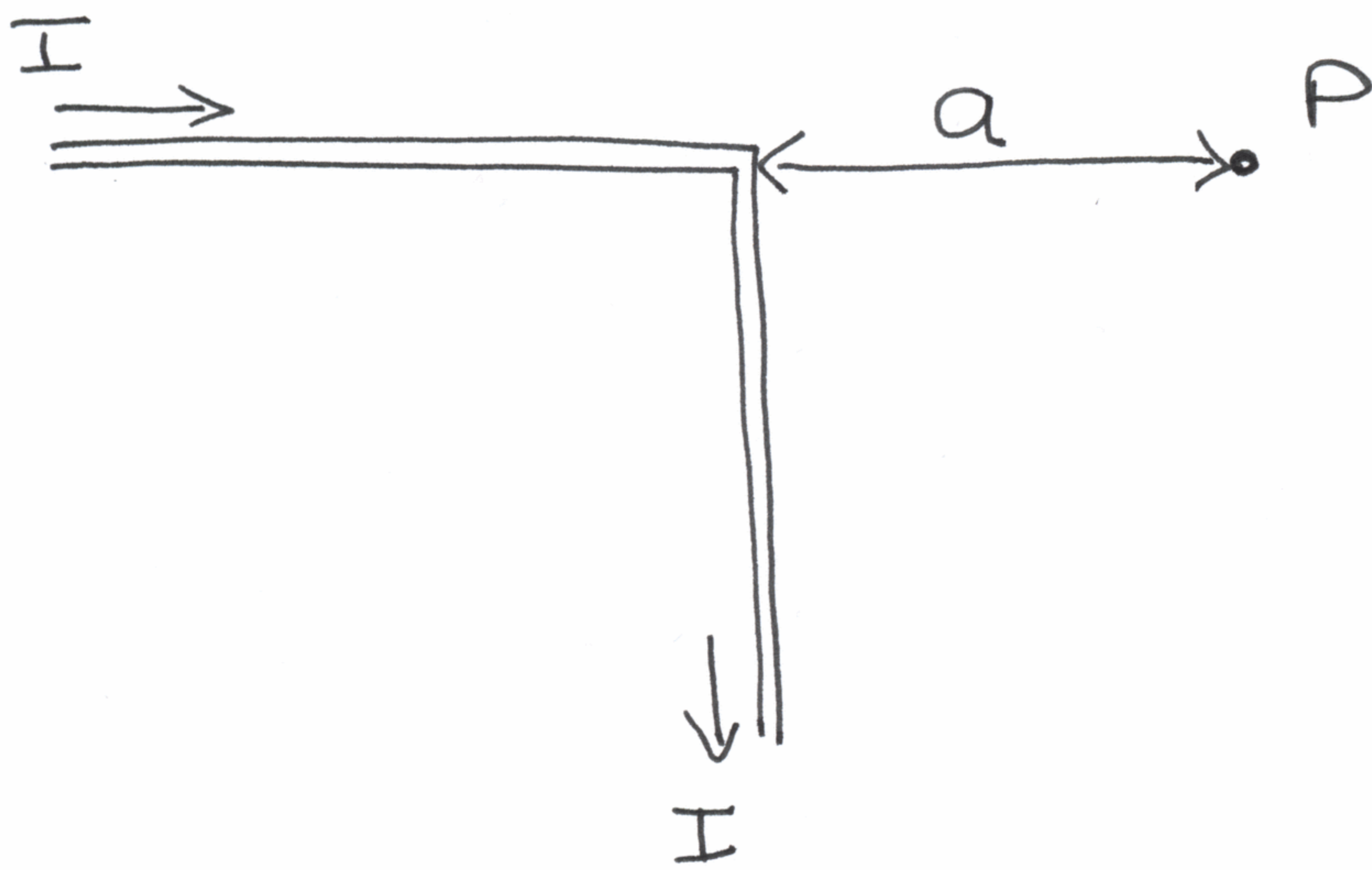
$$V_d + I_1(10\Omega) + 12V = V_c$$

$$\rightarrow V_c - V_d = 12.706 V$$

$$\text{Kirchhoff } \rightarrow V_a - V_b = V_c - V_d \\ \approx 12.7 V$$

semua stant spemua
kogni rafihtodumma

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Lånretti blotti vörðins leggur ekkert til
segulsviðsins í P þú

$$d\vec{B} = \frac{\mu_0}{4\pi} \frac{I d\vec{l} \times \hat{r}}{r^2}$$

og þar gældi $d\vec{l} \times \hat{r} = 0$ (samurda)

Löðretti vörin leggur til helming þess
sem óendanlegur vir myndigler

$$\Rightarrow B = \frac{1}{2} \frac{\mu_0 I}{2\pi R}$$

og stefniv úf úr bláinn

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Aflösa från luftretium ✓

$$P = SA = \left(\frac{cB_{max}^2}{2\mu_0} \right) (4\pi r^2)$$

$$\rightarrow B_{max} = \sqrt{\frac{2\mu_0 P}{4\pi r^2 c}} \approx 2.42 \cdot 10^{-9} T$$

ispannan i motföku luftretium ✓

$$\Sigma = - \frac{d\Phi}{dt} = - A_e \frac{dB}{dt}$$

$$\frac{dB}{dt} = \omega B_{max} \approx 1.44 T/s$$

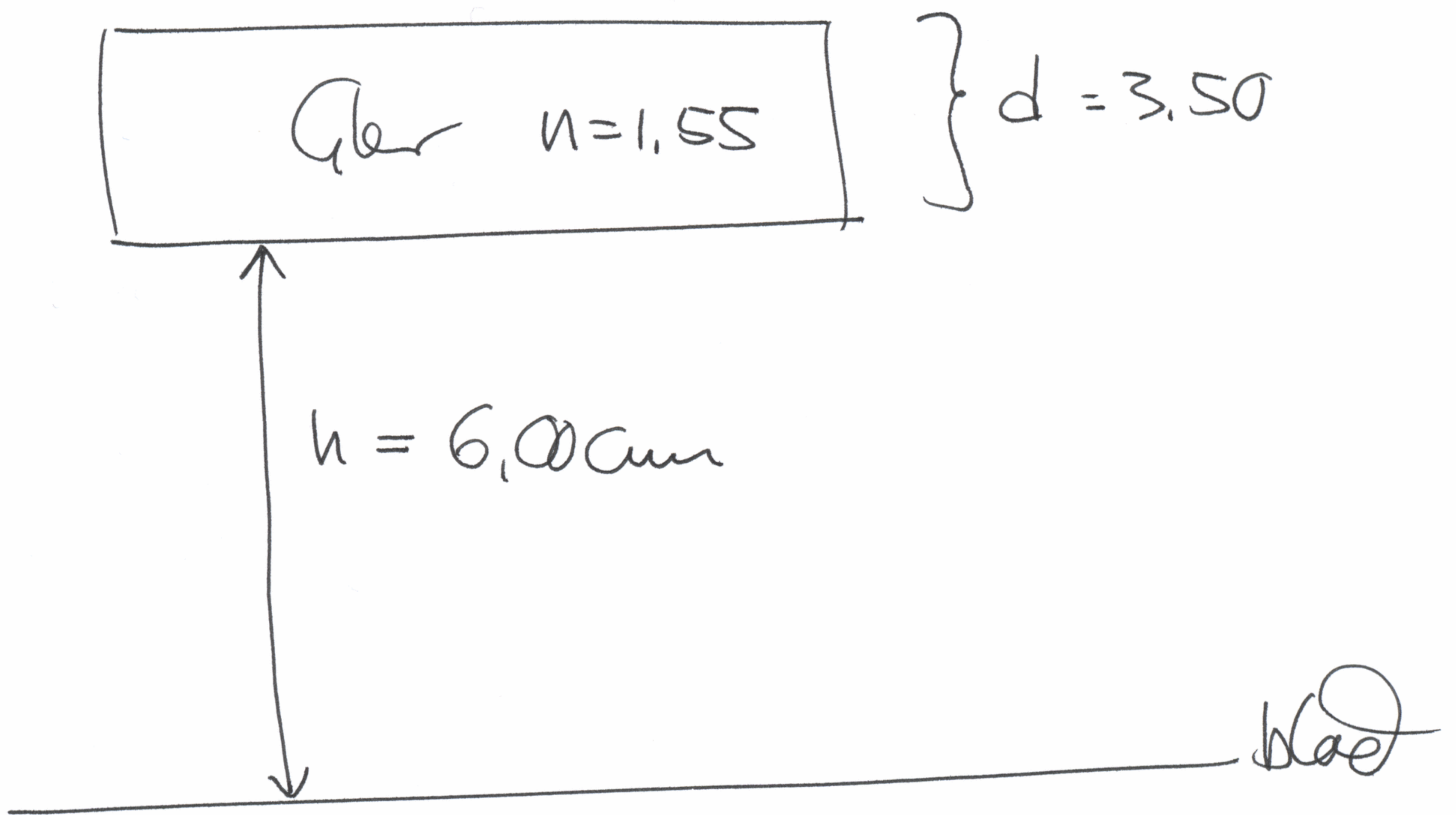
$$\Sigma = - A_e \frac{dB}{dt} = \frac{\pi d^2}{4} \frac{dB}{dt}$$

$$= \frac{\pi d^2}{4} \omega B_{max} = 0.0366 V$$

$$S_{ave} = \frac{E \cdot B_0}{2\mu_0}, \quad E_0 = cB_0$$

Här ständur o fy = max gälden

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$$\left. \frac{n_a}{s} + \frac{n_b}{s'} = 0 \right\} \rightarrow \frac{1}{6.00 \text{ cm}} + \frac{1.55}{s'_1} = 0$$
$$\rightarrow s'_1 = -9.30 \text{ cm}$$

$$\rightarrow s_2 = \cancel{d} - s'_1 = 12.80 \text{ cm}$$

$$\frac{n}{d - s'_1} + \frac{1}{s'_2} = 0$$

$$\rightarrow s'_2 = -8.26 \text{ cm}$$

maka jarak antara bidai \rightarrow nyudina

1.24 cm jarak antara bidai